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# **Panel data in accounting and finance:** theory and application

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# **ABSTRACT**

The use of models that involve longitudinal data in accounting and finance is common. However, there is often a lack of proper care regarding the criteria for adopting one model over another as well as an insufficiently detailed discussion of the possible estimators to be studied in each situation. This article presents, in conceptual and applied form, the main panel data estimators that can be used in these areas of knowledge and discusses the definition of the most consistent model to be adopted in function of the data characteristics. The models covered for short panels are the POLS with clustered robust standard errors, with between estimator, fixed effects, fixed effects with clustered robust standard errors, random effects and random effects with clustered robust standard errors. In turn, for long panels, the models discussed are fixed effects, random effects, fixed effects with AR(1) error terms, random effects with AR(1) error terms, POLS with AR(1) errors and pooled FGLS with AR(1) errors. The models are also applied to a real case, based on data from Compustat Global. At the end, the main routines for applying each of the models in Stata are presented.

**Keywords:** Panel data; accounting; finance; estimation methods.

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# 1 INTRODUCTION

time (panel data) in accounting and finances is increasingly growing and important. As much of the data from companies, cities or countries are released periodically, the researcher is invited, naturally, to apply longitudinal models to the study of phenomena that suffer the influence of the differences between individuals and its own temporal evolution.

According to Marques (2000), the main advantage of the use of models in data panels refers to the control of individual heterogeneity, that is, to the possibility of measuring separately the effects generated because of the existing differences between each observation in each cross-section, as well as being possible to evaluate the evolution, for a specific individual, of the variables in a study over time.

On the other hand, still according to Marques (2000), the panel data provide a larger quantity of information, greater variability of data, lesser collinearity between the variables, greater number of degrees of freedom and greater efficiency in the estimation. The inclusion of the dimension in cross-section, in a temporal study, confers a greater variability to the data, as the use of the aggregate data results in softer series that the individual series that function as a basis. This increase in data variability contributes to the reduction of an eventual collinearity existing between the variables.

According to Lima (2007), since Balestra and Nerlove (1966), several studies have been published with the use of panel data, with highlights for the works of Anderson and Hsiao (1982), Bhargava, Franzini and Narendranathan (1982), Bhargava and Sargan (1983), Baltagi and Griffin (1984), Holtz-Eakin, Newey and Rosen (1988), Breusch, Mizon and Schmidt (1989), Maddala (1993), Islam (1995), Ahn and Schmidt (1997), Krishnakumar and Ronchetti (2000), Hsiao (2003), Arellano (2003), Frees (2004), Baltagi (2008), Mátyás and Sevestre (2008), and Wooldridge (2010).

Marques (2000) made an important contribution, since, besides presenting the main concepts referring to the data panel models, he prepared a comparison between the different estimators used by the various authors in studies with micro and macroeconomic data.

In accounting and finances, on the other hand, the use of models that take into consideration the longitudinal aspects of accounting and financial phenomena are still incipient. In Brazil, we point out the works of Pimentel (2006), Souza (2006), Lima, Lima,

Fávero and Galdi (2007), Coelho (2007), Nakamura, Martin, Forte, Carvalho Filho, Costa and Amaral (2007), Carneiro and Sherris (2008), Lima (2009), Bastos and Nakamura (2009), Almeida (2010), Malacrida, Lima, Fávero and Lima (2010) and Fávero and Sotelino (2011).

However, there is still, in this area, a lack of care as to the criteria for the adoption of one model in detriment of another, as well as the absence of a more detailed discussion about the possible estimators to be studied in each situation. In other words, the use of panel data in accounting and finances is, at times, elaborated without a deeper concern for the choice of a better model to be used, that is, little has been discussed about the adequacy of the use of the technique and about the definition of the best estimators. In this sense, the recent works of Pimentel (2009) and Jones, Kalmi and Mäkinen (2010) deserve to be highlighted.

The purpose of this article is to present, in a conceptual and structured manner, the main data estimators in a panel that can be used in accounting and finances, as well as help in the definition of the most consistent model to be adopted, as a function of the data characteristics. Also, this article has the objective of applying these models to a real case, based on data from *Compustat Global*. Finally, we present the main routines for the application of each of the models in Stata, since it believes that such procedures may provide a better relation between theory and practice, and to facilitate the implementation of the models in future research.

Thus, the present study does not have the intention to suggest the application of panel data in a given situation, as this depends fundamentally on the research issue and the data available to the researcher. The purpose, if this technique is to be used, is to assist in the correct application, with a view to determining the most appropriate models to reality and focused on decision-making.

Section 1 provides a conceptual review of the main panel data estimators and makes a distinction between models in short panel (with a larger number of individuals than the analysis period) and in long panel (with the larger number of periods than the number of individuals in the study). Section 2 presents an application of the main models presented and discusses the procedure of defining the best model through a review of the results. And finally, Section 3 presents the final considerations.

# 2 PANEL DATA MODELS

There are many different models that can be used for panel data. The basic distinction between them, according to Greene (2007), is the existence of fixed or random effects. The term "fixed effects" gives a wrong idea of modeling, because, in both cases, the effects at the

individual level (firms, government agencies or countries, for example) are random. In this manner, according to Cameron & Trivedi (2009), the fixed effects models have the added complication that the regressors are correlated with the effects on the individual level and, therefore, a consistent estimation of the model parameters requires the elimination or control of the fixed effects. In this manner, a model that takes into account the specific effects of the individual for a dependent variable y<sub>it</sub> specifies that:

$$\mathbf{y}_{it} = \beta_{0i} + \mathbf{x'}_{it} \beta_1 + \varepsilon_{it} \tag{1}$$

In which  $x_{it}$  are regressors,  $\beta_{0i}$  are the specific random effects for the individual and  $\epsilon_{it}$  represents the idiosyncratic error.

With the error term being  $\mu_{it} = \beta_{0i} + \epsilon_{it}$  and  $x'_{it}$  correlated with the invariant error term in time  $(\beta_{0i})$ , it is supposed that  $x'_{it}$  is not correlated with the idiosyncratic error  $\epsilon_{it}$ . The fixed effects model implies that  $E(y_{it}|\beta_{0i}, x_{it}) = \beta_{0i} + x'_{it\beta 1}$ , assuming that  $E(\epsilon_{it}|\beta_{0i}, x_{it}) = 0$ , so that  $\beta_{j} = \partial E(y_{it}|\beta_{0i}, x_{it})/\partial x_{j,it}$ . The advantage of the fixed effects model is that a consistent estimator of the marginal effect of the jnth regressor of  $E(y_{it}|\beta_{0i}, x_{it})$  can be obtained, given that  $x_{j,it}$  varies in time.

In the random effects model, on the other hand, it is assumed that  $\beta_{0i}$  is purely random, that is, it is not correlated to the regressors. The estimation, therefore, is prepared with an FGLS (*feasible generalized least squares*) estimator. The advantage of the random effects model is that it estimates all coefficients, even the time-invariant regressors, and, therefore, the marginal effects. Besides,  $E(y_{it}|x_{it})$  can be estimated. But the major drawback is that these estimators are inconsistent if the fixed effects model is more appropriate.

As previously discussed, the dependent variable and the regressors can potentially vary simultaneously over both time and between individuals. While the variation over time or for any given individual, is known as *within* variance, the variation among individuals is called *between* variance. According to Wooldridge (2010), in the fixed effects model, the coefficient of a regressor with low variation *within* will be loosely estimated and will not be identified if not *within variance*. Therefore, it is of fundamental importance to differentiate between these variations to define the best model for panel data.

The total variation of the observations of a regressor x around the overall average  $\overline{x} = 1/\sum_i T_i \sum_i \sum_t x_{it}$  in the data set can be decomposed in the sum of the *within* variation

over time for each individual around  $\bar{x}i = 1/T \sum_t x_{it}$  and in the variation *between* individuals (for  $\bar{x}_i$  around  $\bar{x}$ ). According to Cameron & Trivedi (2009):

Variance Within: 
$$s_{xW}^2 = \frac{1}{\sum_i T_i - 1} \sum_i \sum_t (x_{it} - x_i + x)$$

Variance Between: 
$$s_{xB}^2 = \frac{1}{N-1} \sum_{i} (\overline{x}_i - \overline{x})^2$$

General Variance: 
$$s_{xO}^{2} = \frac{1}{\sum_{i} T_{i-1}} \sum_{i} \sum_{t} (x_{it} - x)$$

Notations N and  $\Sigma_i T_i$  correspond, respectively, to the number of individuals and the total number of observations over time. When submitting the application of panel data in this article, the variances of each of the regressors will be presented and discussed.

Also according to Cameron & Trivedi (2009), the  $\beta_1$  parameter estimators of a fixed effects model to the equation (1) eliminate the  $\beta_{0i}$  fixed effects, that is, is prepare a transformation *within* by differentiation of averages. In this manner, a *within* estimation produces a modeling with different data about the average, and one cannot estimate a coefficient of a regressor without a variation over time. Thus, the  $\beta_{0i}$  fixed effects in equation (1) can be eliminated by subtracting the averages of each individual  $\overline{y}_i = \overline{x}_i^t \beta_1 + \overline{\epsilon}_i$  in the corresponding model, resulting in the *within* model, or average model differences:

$$(y_{it} - \overline{y}_i) = (x_{it} - \overline{x}_i)'\beta_1 + (\varepsilon_{it} - \overline{\varepsilon}_i)$$
(2)

In which  $\overline{x}_i = T_i^{-1} \sum_{t=1}^{T_i} x_{it}$  and the *within* estimator is the OLS estimator (*ordinary least squares*) of this model. According to Cameron & Trivedi (2009), since  $\beta_{0i}$  was eliminated, the OLS estimator offers consistent estimates of  $\beta_1$ , even if  $\beta_{0i}$  is correlated with  $x_{it}$ , as is the case of the fixed effects model.

The *between* estimator uses only the variation between individuals (*cross-sections*) and is the OLS estimator of a regression of  $\bar{y}_i$  as a function of  $\bar{x}i_i$ , presented below (equation (3)). By taking into account only the *cross-section* variations in the data, the coefficient of any regressor which is invariant between individuals may not be identified.

$$\overline{y}_i = \beta_0 + \overline{x}'_i \beta_1 + (\beta_{0i} - \beta_0 + \overline{\epsilon_i})$$
(3)

The consistency of this estimator demands that the error term  $(\beta_{0i} - \beta_0 + \overline{\epsilon}_i)$  not be correlated with  $x_{it}$ , which occurs when  $\beta_{0i}$  is a random effect, but not when it is a fixed effect. According to Hsiao (2003), this estimator is rarely used because the random effects estimators end up being more consistent.

The random effects estimator, on the other hand, is a FGLS estimator in equation (1). So the random effects model is the model of individual effects:

$$y_{it} = x'_{it} \beta_1 + (\beta_{0i} + \varepsilon_{it})$$
 (4)

With  $\beta_{0i} \sim (\beta_0, \ \sigma_\alpha^2)$  and  $\epsilon_{it} \sim (0, \ \sigma_\epsilon^2)$ . In this manner, the error term  $\mu_{it} = \beta_{0i} + \epsilon_{it}$  is correlated over time t, for a given observation i, with correlation:

$$corr(\mu_{it}, \mu_{is}) = \sigma^2/(\sigma^2 + \sigma^2), \text{ for all } s \neq t$$
 (5)

The random effects estimator is the FGLS estimator of  $\beta_1$  of equation (4) given the correlations of the errors in the equation (5).

According to Cameron & Trivedi (2009), in models with heteroscedastic and autocorrelated errors, the GLS estimator (*generalized least squares*) can be calculated as an OLS estimator in a model that has uncorrelated homoscedastic errors, obtained from (4) by an appropriate linear transformation. In the case of the random effects model of equation (4), this transformed model is given by equation (6).

$$(\mathbf{y}_{it} - \boldsymbol{\theta}_i \overline{\mathbf{y}}_i) = (1 - \boldsymbol{\theta}_i) \boldsymbol{\beta}_0 + (\mathbf{x}_{it} - \boldsymbol{\theta}_i \overline{\mathbf{x}}_i)' \boldsymbol{\beta}_1 + \{(1 - \boldsymbol{\theta}_i) \boldsymbol{\beta}_{0i} + (\boldsymbol{\epsilon}_{it} - \boldsymbol{\theta}_i \overline{\boldsymbol{\epsilon}_i})\}$$
(6)

A FGLS estimator is obtained substituting  $\theta_i$ , which is given for a consistent estimate indicated by:

$$\theta_{i} = 1 - \sqrt{\sigma_{\varepsilon}^{2} / (T_{i} \sigma_{\alpha}^{2} + \sigma_{\varepsilon}^{2})}$$
 (7)

The estimator of the random effects will be consistent and fully efficient if the random effects model is appropriate, but will be inconsistent if the fixed effects model is appropriate, since the correlation between  $x_{it}$  and  $\beta_{0i}$  results in a correlation between the regressors and the error term in equation (6). Likewise, also according to Cameron & Trivedi (2009), if there are no fixed effects, then the random effects estimator is consistent but inefficient and therefore an estimation with clustered robust standard errors should be obtained.

The expression of the estimate by feasible generalized least squares of a regression coefficient of model (1), assuming random effects, becomes equal to the same coefficient estimated in a fixed effects model (*within* estimation) if  $\hat{\theta_i} = 1$ .

#### 2.1 Short Panel

If there are no fixed effects but the errors show a correlation inside the panel, then the random effects estimator will be consistent but inefficient and therefore an estimation with clustered robust standard errors should be obtained. In this manner, for a short panel, where T < N, an estimation with robust clustered standard errors can be obtained by considering the premise that the errors are independent among individuals and that  $N \to \infty$ , that is, that  $E(\varepsilon_{it}, \varepsilon_{is}) = 0$  for  $i \neq j$ , that  $E(\varepsilon_{it}, \varepsilon_{is})$  not be restricted and that  $\varepsilon_{it}$  be heteroscedastic.

According to Cameron and Trivedi (2009), the initial step for the implementation of a model with panel data is the application of a model POLS (*pooled ordinary least squares*), which supposes that the regressors are exogenous and that the error term is  $\mu_{it}$ , instead of decomposition  $\alpha_i + \epsilon_{it}$ . Therefore:

$$y_{it} = \beta_0 + x'_{it} \beta_1 + \mu_{it}$$
 (8)

The parameters of this model are estimated by OLS, but the inference requires that there be control of correlation *within* error  $\mu_{it}$  for a given individual, being prepared using robust standard errors with clustering at the individual level.

# 2.2 Long Panel

For long panel data, that is, with many periods for a relatively smaller number of subjects, the individual effects  $\beta_{0i}$  can be incorporated into  $x_{it}$  as *dummy* variables for each period according to the following model:

$$y_{it} = \beta_{0i} + \gamma_t + x'_{it} \beta_1 + \varepsilon_{it}$$

$$(9)$$

so that there are many time effects  $\gamma_t$  (monthly, quarterly or yearly effects, for example). A model *pooled*, for T > N, in which the regressors  $x_{it}$  include the intercept, the temporal effect and, possibly a vector of variable of an individual, can be written as:

$$y_{it} = x'_{it} \beta_1 + \mu_{it}$$
 (10)

Since T is greater than N, it becomes necessary to specify a model that considers the presence of serial correlation error (Beck and Katz, 1995). So, for long panel data, the models *pooled* with estimation methods OLS (POLS) and FGLS become more appropriate, since they

allow the use of an AR(1) model for  $\mu_{it}$  over time where  $\mu_{it}$  is heteroscedastic (Hoechle, 2007). So:

$$\mu_{it} = \rho_i \mu_{i,t-1} + \varepsilon_{it} \tag{11}$$

In which the terms  $\varepsilon_{it}$  are not correlated in time, but with correlation between individuals different from zero (corr( $\varepsilon_{it}$ ,  $\varepsilon_{is}$ ) =  $\sigma_{ts}$ ).

Alternatively the inclusion of one *dummy* variable vector for each period, it is estimated, finally, a model of individual effects with AR(1) error terms, which is a better model than that which considers i.i.d. error terms. So:

$$y_{it} = \beta_{0i} + x'_{it}\beta_1 + \mu_{it}$$
 (12)

Soon, according to Cameron & Trivedi (2009), this model will potentially generate more efficient parameter estimates. In this case, given the estimate of  $\hat{\rho}$  in equation (11), first, it eliminates the effect of the AR(1) error and, as a result, eliminates the individual effect by applying the difference in averages. So, the modeling can consider  $\beta_{0i}$  as a fixed or random effect.

Following the presentation of the panel data models, it is explained that this work will apply ten different types of modeling in order to provide a better understanding of the different types of estimators and their conditions of use, as well as present models for the study of behavior of the returns of the stock prices of companies listed on stock exchanges in Latin American countries, in a longitudinal perspective. Table 1 shows these ten different types of models. In the appendix, are routines for the application of each of these models in the Stata software.

**Table 1: Panel Data Models to Be Estimated** 

Model	Description			
POLS with Clustered Robust Standard-Errors	$y_{it} = \beta_0 + x'_{it} \beta_1 + \mu_{it}$ OLS estimation with correlation control <i>within</i> of error $\mu_{it}$ over time.			
Model with Between Estimator	$\overline{y}_i = \beta_0 + x_i^{T} \beta_1 + (\beta_{0i} - \beta_0 + \epsilon_i)$ The <i>between</i> estimator only uses the variation of <i>cross-sections</i> and is the OLS estimator of the regression of a function of. The consistency of this estimator demands that the error term not be correlated with $x_{it}$ . $y_i$ $x_{\overline{i}}(\beta_{0i} - \beta_0 + \epsilon_i)$			
Fixed Effects	$\begin{aligned} y_{it} &= \beta_{0i} + x'_{it}  \beta_1 + \epsilon_{it} \\ \text{The $\beta_{0i}$ parameters can be correlated with the $x_{it}$} \\ \text{regressors, which allows a limited form of} \end{aligned}$			

	endogeneity. It is supposed that $x_{it}$ is not correlated with the $\epsilon_{it}$ idiosyncratic error.		
Fixed Effects with Clustered Robust Standard-Errors	$y_{it} = \beta_{0i} + x'_{it} \ \beta_1 + \epsilon_{it}$ The $\beta_{0i}$ terms can be correlated with the $x_{it}$ regressors, which allows a limited form of endogeneity. It is supposed that the errors are independent between individuals and that $\epsilon_{it}$ is heteroscedastic.		
Random Effects	$\begin{split} y_{it} &= x'_{it}\beta_1 + \left(\beta_{0i} + \epsilon_{it}\right) \\ \text{The } \beta_{0i} \text{ parameters and the } \epsilon_{it} \text{ idiosyncratic error terms are independent and identically distributed } \\ \text{(i.i.d.)}. \text{ The random effects estimator is the FGLS} \\ \text{of } \beta_1, \text{ given that } \text{corr}(\mu_{it}, \mu_{is}) &= \sigma^2/(\sigma^2 + \sigma^2) \\ \mu_{it} &= x'_{it}\beta_1 + (\beta_{0i} + \epsilon_{it}) \end{split}$		
Random Effects with Clustered Robust Standard- Errors	$y_{it} = x'_{it}  \beta_1 + (\beta_{0i} + \epsilon_{it})$ If there are no fixed effects, but the errors present correlation <i>within</i> , the random effects estimator is consistent, but inefficient. Therefore, clustered robust standard errors must be obtained.		
Fixed Effects (AR)1 Error Terms	$\begin{aligned} y_{it} &= \beta_{0i} + x'_{it}  \beta_1 + \mu_{it} \\ \text{With } \mu_{it} &= \rho_i \mu_{i,t-1} + \epsilon_{it}  .  \beta_{0i}  \text{is considered as a} \\ \text{fixed effect.} \end{aligned}$		
Random Effects AR(1) Error Terms	$\begin{aligned} y_{it} &= \beta_{0i} + x'_{it}  \beta_1 + \mu_{it} \\ \text{With } \mu_{it} &= \rho_i \mu_{i,t-1} + \epsilon_{it}  .  \beta_{0i}  \text{is considered as a} \\ \text{random effect.} \end{aligned}$		
Pooled with OLS Estimation Method and AR(1) Error Terms	$\begin{aligned} y_{it} &= \beta_{0i} + \gamma_t + \left. x'\right _{it} \beta_1 + \epsilon_{it} \\ \text{With } \mu_{it} &= \rho_i \mu_{i,t-1} + \epsilon_{it} \text{ , wherein the } \epsilon_{it} \text{ are serially not correlated, but with correlation between individuals equal to } \text{corr}(\epsilon_{it}, \epsilon_{is}) = \sigma_{ts} \neq 0. \end{aligned}$		
Pooled with FGLS Estimation Method and AR(1) Error Terms	$y_{it} = \beta_{0i} + \gamma_t + x'_{it} \beta_1 + \epsilon_{it}$ Similar to <i>pooled</i> model with OLS estimation method, but with FGLS estimator.		

# **3 AN APPLICATION**

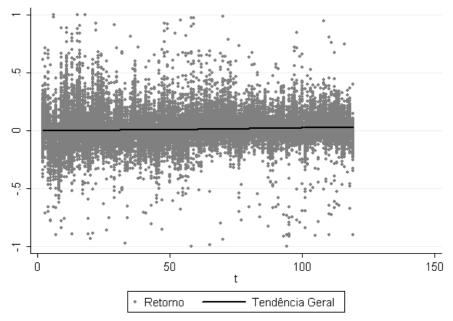
After a discussion on the main data panel estimators, we present an application in financial accounting.

Since many of the accounting and financial data present a monthly, quarterly or annual release periodicity, it is common for studies in these areas using data models on short panels, since the number of individuals (companies, for example), exceeds the number of disclosure periods of data. On the other hand, nothing prevents the researcher from basing his or her study on a sample from companies in a given sector only, or use data with greater disclosure frequency (daily, for example), which could lead to a model with data on a long panel. Either way, it is essential that the identification of this database resource is done prior to the

modeling itself. In this article, we will use two databases, being the first a short panel and the second a long panel.

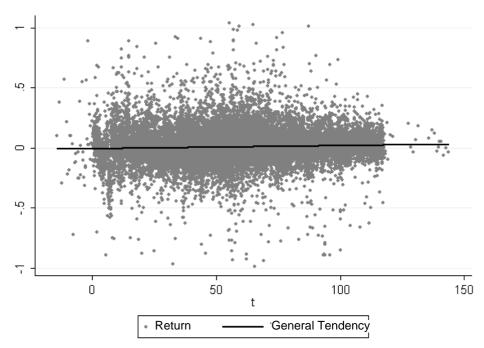
Initially, a *Compustat Global* base containing data on the profitability of shares from 473 companies from 7 countries in Latin America (Argentina, Brazil, Chile, Colombia, Mexico, Peru and Venezuela), for over 118 months (1998-2007), totaling 28,257 observations, will be used for the study of a short panel. Then, a stratum of the previous base, randomly selected, will be used, with data from only 40 companies, also during the 118-month period, totaling 4,720 observations, with a view to studying the long panel.

During the analyzed period, many companies showed significant growth rates in stock prices for one or more months. We considered, therefore, only monthly returns lower than 100%. Through graph 1, we can see that these returns exhibit similar behaviors over time, although there are differences in the averages and slopes between individual series.

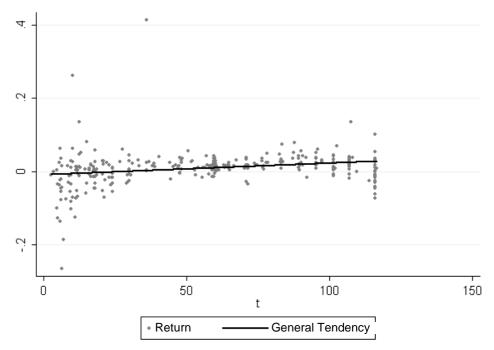


Graph 1: Evolution of Monthly Returns of Share Prices in Latin America

Each point on graph 1 represents one return pair of the stock price-month. This behavior suggests the preparation of longitudinal models, since the regressors may vary between companies and over time, as will be shown and discussed below. While graph 2 shows a variation of the monthly returns of the stock prices over time for each company, that is, shows the return deviations in relation to the individual average of each company (*within variation*), graph 3 presents the variation of the monthly returns between the companies, that is, showing the deviations of the monthly returns of the stock prices of the companies in relation to the general average for each instant of time (*between variation*).



Graph 2: Deviations of Monthly Returns in Relation to the Average of Each Company Over Time (*Within Variation*)



Graph 3: Deviation of Monthly Returns in Relation to the General Average for Every Moment of Time (*Between Variation*)

In this application, the use of the *Compustat Global* base is used in order to verify if the price-cash flow ratio is more significant than the price-earnings ratio per share to influence the monthly returns of share prices of companies in Latin America over time. According to Kennon (2010), as some investors prefer to use cash flow to make use of earnings per share for the evaluation of stock prices, since they argue that while the former is not easily

manipulated, the same cannot be said for the second, this application provides an investigation on the subject, under a longitudinal perspective and with the use of several estimators.

As discussed, 10 different models of panel data will be developed with different considerations on the estimators and the error terms. The general model is given by:

$$retorno_{it} = \beta_{0i} + \beta_1 \cdot (pcf)_{it} + \beta_2 \cdot (pe)_{it} + \varepsilon_{it}$$
(13)

In which  $\beta_1$  and  $\beta_2$  represent the changes in the return of share prices when a unit of cash flow ratio (pcf) or price-to-earnings ratio per share (pe) occurs, respectively, *ceteris* paribus.

Below, we discuss the results of modeling, both for a short panel, as for a long panel.

#### **Data Models for Short Panel**

As the sample, in this case, it provides data from 473 companies in 118 months, the panel can be considered short (T < N) ..

Table 2 presents the variance decomposition for each of the regressors.

Standard Variable **Decomposition** Average Minimum Maximum **Comments Deviation** general id N.T = 28,257between N = 473(company) within 0.000 general 35.492 1.000 118.000 N.T = 28,257t (month) 33.315 1.500 118.000 between N = 47326.489 -5.398 145.188 within -0.999 general 0.141 1.000 N.T = 28,257var\_y 0.013 between 0.036 -0.1340.414 (return) N = 473-0.986 within 0.139 1.027 general -19,841.38 246.040 10,594.7 N.T = 20,224var\_x1 (pcf) between 7.246 212.442 -2,168.16 3,363.81 N = 361within 221.678 -17,665.97 7,238.13 212.550 -5,790.53 12,251.82 general N.T = 27,81612.965 var\_x2 (pe) 228.033 -2,872.58 3,889.48 between N = 463176.068 -4,521.99 8,375.30 within

**Table 2: Statistics of Short Panel and Variance Decomposition** 

According to table 1, note that the stock is time invariant and, therefore, presents the within variation equal to zero. ON the other hand, the variable referring time (month) is not invariant among companies, since this is an unbalanced panel and hence its between variation, even though lower than within, is not equal to zero. Of the remaining variables, only pcf presents a greater variation between individuals (between) than over time (within), but it is still not possible to declare that the within estimation will result in a loss of efficiency, since

the proportion between the *within* and *between* variances of each variable is different and the statistical significances of each of these models are not yet known. Table 1, however, provides a greater basis for the adoption of models of panel data and the application of different estimators. The columns "Minimum" and "Maximum" show, respectively, the minimum and maximum values of  $x_{it}$  for the "general" line,  $\overline{x}_i$  for the "between" line and  $(x_{it} - \overline{x}_i + \overline{x})$  for the "within" line.

Table 3 presents the results of models considering 6 different estimators.

**Table 3: Data Models for Short Panel** 

Variable	POLS with Clustered Robust Standard- Errors	<b>Between</b> Estimator	Fixed Effects	Fixed Effects with Clustered Robust Standard Errors	Random Effects	Random Effects with Clustered Robust Standard- Errors
pcf	1.52x10 <sup>-5</sup> *	1.24x10 <sup>-5</sup>	1.52x10 <sup>-5</sup> *	2.15x10 <sup>-5</sup> *	1.68x10 <sup>-5</sup> *	168x10 <sup>-5</sup> *
pci	$(5.93x10^{-6})$	$(1.32x10^{-5})$	$(4.96 \times 10^{-6})$	$(5.74 \times 10^{-6})$	$(4.62x10^{-6})$	$(5.19x10^{-6})$
	-1.09x10 <sup>-5</sup>	-5.59x10 <sup>-7</sup>	-1.28x10 <sup>-5</sup>	-1.28x10 <sup>-5</sup>	-1.16x10 <sup>-5</sup>	-1.16x10 <sup>-5</sup>
pe	$(6.19 \times 10^{-6})$	$(1.1x10^{-5})$	$(6.05 \times 10^{-6})$	$(5.16 \times 10^{-6})$	$(5.13x10^{-6})$	$(4.54 \times 10^{-6})$
	0.013*	0.009*	0.013*	0.013*	0.011*	0.011*
constant	$(1.04x10^{-3})$	$(2.11x10^{-3})$	$(1.03x10^{-3})$	$(5.23x10^{-5})$	$(1.59x10^{-3})$	$(1.17x10^{-3})$
N.T	20,224	20,224	20,224	20,224	20,224	20,224
R <sup>2</sup>	$6.0 \text{x} 10^{-4}$					
R <sup>2</sup> (general)		4.0x10 <sup>-4</sup>	6.0x10 <sup>-4</sup>	6.0x10 <sup>-4</sup>	$6.0 \text{x} 10^{-4}$	6.0x10 <sup>-4</sup>
R² (between)		3.1x10 <sup>-4</sup>	1.0x10 <sup>-3</sup>	$1.0x10^{-3}$	$1.0x10^{-3}$	$1.0x10^{-3}$
R <sup>2</sup> (within)		8.0x10 <sup>-4</sup>	2.1x10 <sup>-3</sup>	2.1x10 <sup>-3</sup>	$1.5 \times 10^{-3}$	1.5x10 <sup>-3</sup>
F	5.12	0.73	9.57	7.10		
sig. F	0.006	0.483	0.000	0.001		
Wald χ²					14.06	10.83
sig. χ <sup>2</sup>					0.001	0.004

Note: Standard Errors between brackets.

As can be seen, the estimated coefficients vary from model to model, which reflects the existence of different results if the *within* or *between* variations can be used.

At first, one verifies, as to the appropriateness of the models, that the regressor's vector presents a statistical significance in all cases, except the model with the *between* estimator

<sup>\*</sup>sig. < 0.05.

(sig. F for the POLS models, *between* and with fixed effects and sig. Wald  $\chi^2$  for models with random effects). As the  $R^2$  statistics are considerably lower, these models are not relatively adequate for prediction purposes. An important result, however, relates to the existence of higher values for  $R^2$  within in all models in which this statistic is calculated. Taking as basis the expressions of each of the statistics  $R^2$ 

$$R^2$$
 general:  $\rho^2\{(y_{it} - \overline{y}_i), (x'_{it} \hat{\beta} - \overline{x}'_i \hat{\beta})\}$ 

$$R^2$$
 between:  $\rho^2(\overline{y}_i, \overline{x}'_i \hat{\beta})$ 

$$R^2$$
 within:  $\rho^2(y_{it}, x'_{it} \hat{\beta})$ 

In which  $\rho^2(x,y)$  represents the square correlation between x and y. Note that the *within* estimators better explain the *within* variation in all models, even those with random effects.

Note also that the pe variable is not statistically significant (sig. > 0,05) in models presented in the presence of the pcf variable. The latter, with the exception of model with the between estimator, is significant in explaining the behavior of the returns of stock prices (sig. < 0,05), confirming the argument of some analysts in favor of using this variable.

As to the pcf variable, it appears that the standard errors in fixed effects and random effects models with clustered robust standard errors are larger than the respective models without this consideration. The regressors estimated in POLS models and between offer even greater standard errors, even with the pcf variable being statistically significant (sig. < 0,05) in the POLS model.

The Breusch-Pagan LM Test, applied after the modeling of random effects, helps in the rejection of the null hypothesis that there is adaptation in the POLS model in relation to the random effects model, since  $\chi^2 = 70.7$  (sig.  $\chi^2 = 0.000$ ). Following through, by means of the Chow F test, the null hypothesis that there is equality of intercepts and slopes for all companies (POLS) is rejected. Therefore, these parameters differ from those obtained by means of fixed effects models, since F = 2.34 (sig. F = 0.000). Finally, the Hausman test for fixed effects assists in rejecting the null hypothesis that the random effects model provides more consistent parameter estimates, since, for this case,  $\chi^2 = 17.07$  (sig.  $\chi^2 = 0.000$ ).

According to Islam (1995), the main use of panel data modeling is its ability to allow differences occur between countries, which means that the results are significantly different

from those obtained by isolated regressions for each country. In table 4, the regression coefficients are presented for each of the sample countries.

**Table 4: Coefficients by Country** 

Country	pcf	constant
Argentina	-1.97x10 <sup>-5</sup>	0.006
Brazil	$-1.63 \times 10^{-5}$	0.018
Chile	2.08 x10 <sup>-5</sup>	0.007
Colombia	9.07x10 <sup>-6</sup>	0.015
Mexico	-2.66x10 <sup>-5</sup>	0.007
Peru	8.75x10 <sup>-5</sup>	0.016
Venezuela	1.32x10 <sup>-4</sup>	0.010

Note: Dependent Variable: Monthly Return of the Stock Price.

Although the price-cash flow ratio is more significant in explaining the returns of stock prices in the countries of Latin America, Table 4 reveals the existence of different influences. The different coefficients and signs of the *pcf* variable and the constant express the importance of considering the modeling panel data and provide the formulation of future research on the economic reasons why countries have different behaviors in the prices of actions of their companies over time.

# **Data Models for Long Panel**

For this case, as the sample provides data from 40 companies over 118 months, the panel can be considered long (T> N). Thus, the influence time is very important in long series, models of random and fixed effects are also applied with the consideration of autoregressive (AR(1)) components for the waste, which can result in more efficient parameter estimates for long panels.

As was prepared for the short panel, table 5 shows the variance decomposition for each of the regressors of the long panel.

**Table 5: Statistics of Long Panel and Variance Decomposition** 

Variable	Decomposition	Average	Standard Deviation	Minimum	Maximum	Comments
id (company)	general between within		0.000			N.T = 4,720 N = 40
t (month)	general between within		34.066 0.000 34.066	1.000 60.500 1.000	118.000 60.500 118.000	N.T = 4,720 N = 40
var_y (return)	general between within	0.012	0.144 0.005 0.144	-0.662 0.005 -0.656	0.899 0.022 0.896	N.T = 4,720 N = 40
var_x1 (pcf)	general between within	5.312	22.261 5.106 21.682	-264.68 -3.262 -270.274	107.37 10.906 101.776	N.T = 4,720 N = 40
var_x2 (pe)	general between within	14.488	66.362 12.089 65.279	-536.13 1.365 -537.894	735.86 40.972 734.095	N.T = 4,720 N = 40

Here 9 companies were purposely chosen so that the variable relating to time (month) would be invariant, meaning that the panel would be balanced, so that its *between* variation would be equal to zero. All other variables showed less variation between individuals (*between*) than over time (*within*), but it is also not possible to say that the *between* estimation will result in a loss of efficiency.

In the same way as was done for the short panel, table 6 shows the results of the models, considering also six different estimators.

**Table 6: Data Models for Long Panel** 

Variable	Fixed Effects	Random Effects	Fixed Effects with AR(1) Errors	Fixed Effects with AR(1) Errors	Pooled OLS with AR(1) Errors	Pooled FGLS with AR(1) Errors
pcf	-5.68x10 <sup>-5</sup>	-7.55x10 <sup>-5</sup>	-5.77x10 <sup>-5</sup>	-6.49x10 <sup>-5</sup>	-7.13x10 <sup>-5</sup>	-1.49x10 <sup>-4</sup>
Per	$(9.74 \times 10^{-5})$	$(9.45 \times 10^{-5})$	$(4.32 \times 10^{-5})$	$(4.88x10^{-5})$	$(2.36x10^{-4})$	$(1.97x10^{-4})$
<b>n</b> o	-8.42x10 <sup>-5</sup> *	-9.11x10 <sup>-5</sup> *	-7.88x10 <sup>-5</sup> *	-8.58x10 <sup>-5</sup> *	-8.90x10 <sup>-5</sup>	$-8.63 \times 10^{-5}$
pe	$(3.24 \times 10^{-5})$	$(3.17x10^{-5})$	$(1.70x10^{-5})$	$(2.32x10^{-5})$	$(6.90 \times 10^{-5})$	$(6.07 \times 10^{-5})$
	0.014*	0.014*	0.013*	0.014*	0.014	0,013
constant	$(2.23 \times 10^{-3})$	$(2.22x10^{-3})$	$(2.20 \times 10^{-3})$	$(2.21 \times 10^{-3})$	$(8.22 \times 10^{-3})$	$(7.24 \times 10^{-3})$
N.T	4,720	4,720	4,680	4,720	4,720	4,720
R <sup>2</sup>					1.8x10 <sup>-3</sup>	
R <sup>2</sup> (general)	$1.9 \times 10^{-3}$	$1.9x10^{-3}$	$1.9 \times 10^{-3}$	$1.9 \times 10^{-3}$		
R <sup>2</sup> (between)	0.494	0.504	0.462	0.499		
R <sup>2</sup> (within)	$1.5 \times 10^{-3}$	$1.5 \times 10^{-3}$	$1.2x10^{-3}$	$1.5 \times 10^{-3}$		
F	3.59		2.88			
sig. F	0.027		0.050			
Wald χ <sup>2</sup>		9.00		7.87	1.72	2.57
sig. χ <sup>2</sup>		0.011		0.048	0.422	0.276

Note: Standard Errors between brackets.

<sup>\*</sup>sig. < 0.05.

According to table 5, we can see that the estimated coefficients also vary between models. First, note the existence of much higher standard errors in the fixed and random effects models (over 100%) compared with those reported by their respective models with AR(1) effects in the error terms. This fact may have occurred because of the nature of the panel under review, that is, by being long.

But even allowing that the error terms are correlated between companies, it is noted that there wasn't, in this case, a reduction of standard errors of the *pooled* models with OLS and FGLS estimators compared with those obtained previously by means of models of fixed and random effects with AR(1) error terms.

With respect to the suitability of the models themselves, there is the statistical significance of the set of variables in cases in which were considered fixed or random effects with or without AR(1) error terms. As presented during the preparation of models for the short panel, although there is relative importance of  $R^2$  statistics for prediction effects, their values are not significantly elevated in the models under review.

The models of random and fixed effects offer an alternative for long panel data, wherein the individual effects are considered with AR(1) error terms, and represent the best models than those that consider the error terms i.i.d., which can generate more efficient parameter estimates. In fact, models with fixed and random effects with AR(1) error terms show standard errors on the order of 30% to 50% lower than those obtained by the respective models without consideration of AR(1) error terms.

The Hausman test applied to the fixed and random effects models with AR(1) error terms assists in rejecting the null hypothesis that the random effects model provides more consistent parameter estimates, since, in this case,  $\chi^2 = 10.50$  (sig.  $\chi^2 = 0.005$ ).

Finally, it is worth mentioning that, in this case, the results appear to be contrary to those obtained for the short panel, that is, the pcf variable is not statistically significant (sig. > 0.05) in the presence of the *pe* variable, which presents itself with a negative sign. However, as the companies considered in this case are originated only from Argentina, Brazil and Mexico, a more detailed investigation on the economic reasons behind this phenomenon needs to be performed. As the negative signs of the parameters of the regressors are consistent with those presented in table 3 for these countries, it emphasizes even more the importance of the correct application of the panel models for the study of existing differences between individuals and, over time, for a given phenomenon.

# 4 CONCLUSIONS AND RECOMMENDATIONS

Panel data models allow the researcher to evaluate the relationship between some performance variable and several predictor variables, allowing you to draw inferences about the possible differences between individuals and, over time, about the evolution of that which is to be studied. Given its characteristics, it is natural that much research in accounting and finance will make use of such models, since a good quantity of data is published with specific periodicity for companies, cities, states or countries.

To this end, it is necessary, as well as for any other econometric technique, that the application is accompanied by methodological rigor and certain precautions when analyzing the results, especially if they are aimed at forecasting. The adoption of a given estimator, in detriment of another that is considered biased or inconsistent, can aid the researcher in choosing the best model, enhancing its research and providing new studies on the chosen theme.

In this article, we sought to establish six different models for a specific short panel, and another six for a long panel. The data, in both cases, originated from *Compustat Global*. According to Makino, Isobe and Chan (2004), previous studies have used longitudinal modeling to study the variability of performance variables between companies or countries over time, with empirical research conducted in several areas of knowledge. But it is not common to find studies that are applied to stock markets, considering the differences between emerging economies.

The analysis of the contribution of price-cash flow ratio and price-to-earnings ratio per share on the monthly returns of stocks from emerging markets enables it to enhance the discussion on how the behaviors of markets in the emerging countries differ. But this approach was adopted only as an example within a larger goal, which was to present how different estimators can produce inconsistent results when producing panel data models, and help the researcher to choose the most suitable model both in the case of a short panel, as in the long panel.

The present article intends to contribute only with one part of the innumerable research projects that can arise. Models whose performance variables are presented in the form of the *dummy*, with censored data or count data present consistently different estimators and therefore specific routines in software like Stata. These models were not discussed in this article. It is expected, therefore, that this discussion is just the beginning and will gain importance in accounting and finances, given the vastness of research possibilities.

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# **APPENDIX: ROUTINES IN STATA**

Definition of the Panel: xtset id t Preparation of Graph 1: graph twoway (scatter var\_y t) (lfit var\_y t) Preparation of Graph 2: preserve xtdata, fe graph twoway (scatter var y t) (lfit var y t) restore Preparation of Graph 3: preserve xtdata, be graph twoway (scatter var\_y t) (lfit var\_y t) restore Preparation of Panel Variance Decomposition Tables (Tables 1 and 4): xtsum id t var\_y var\_x1 var\_x2 Preparation of Data Models in Short Panel: - POLS with Clustered Robust Standard-Errors regress var\_y var\_x1 var\_x2, vce(cluster id) - Model with Between Estimator: xtreg var y var x1 var x2, be - Fixed Effects: xtreg var\_y var\_x1 var\_x2, fe - Fixed Effects with Clustered Robust Standard Errors: xtreg var\_y var\_x1 var\_x2, fe vce(cluster id) - Random Effects: xtreg var\_y var\_x1 var\_x2, re - Random Effects with Clustered Robust Standard Errors: xtreg var\_y var\_x1 var\_x2, re vce(cluster id) Preparation of the Estimators Comparison Table for Short Panel Models (Table 2): quietly regress var y var x1 var x2, vce(cluster id) estimates store POLS\_rob quietly xtreg var\_y var\_x1 var\_x2, be estimates store BE quietly xtreg var\_y var\_x1 var\_x2, fe estimates store FE quietly xtreg var\_y var\_x1 var\_x2, fe vce(cluster id) estimates store FE\_rob quietly xtreg var\_y var\_x1 var\_x2, re estimates store RE quietly xtreg var\_y var\_x1 var\_x2, re vce(cluster id) estimates store RE\_rob

estimates table POLS\_rob BE FE FE\_rob RE RE\_rob, b se stats(N r2 r2\_o r2\_b r2\_w F chi2) b(%7.5f)

Preparation of Breusch-Pagan LM Test:

xttest0

Preparation of Hausman Test for Short Panel:

hausman FE RE, sigmamore

Preparation of Coefficients Table for each Country (Table 3):

preserve

statsby, by(pais) clear: xtreg var\_y var\_x1 var\_x2, fe

list, clean

restore

Preparation of Data Models in Long Panel:

- Fixed Effects:

xtreg var\_y var\_x1 var\_x2, fe

- Random Effects:

xtreg var\_y var\_x1 var\_x2, re

- Fixed Effects with AR(1) Errors:

xtregar var\_y var\_x1 var\_x2, fe

- Random Effects with AR(1) Errors:

xtregar var\_y var\_x1 var\_x2, re

- POLS with AR(1) Errors and correlation between individuals:

xtpcse var\_y var\_x1 var\_x2, corr(ar1)

- FGLS with AR(1) Errors and correlation between individuals:

xtgls var\_y var\_x1 var\_x2, corr(ar1) panels(correlated)

Preparation of the Estimators Comparison Table for Long Panel Models (Table 5):

quietly xtreg var\_y var\_x1 var\_x2, fe

estimates store FE

quietly xtreg var\_y var\_x1 var\_x2, re

estimates store RE

quietly xtregar var\_y var\_x1 var\_x2, fe

estimates store FEAR1

quietly xtregar var\_y var\_x1 var\_x2, re

estimates store REAR1

quietly xtpcse var\_y var\_x1 var\_x2, corr(ar1)

estimates store POLSAR1

quietly xtgls var\_y var\_x1 var\_x2, corr(ar1) panels(correlated)

estimates store FGLSAR1

estimates table FE RE FEAR1 REAR1 POLSAR1 FGLSAR1, b se stats(N r2 r2\_o r2\_b r2\_w F chi2) b(%7.5f)

Preparation of Hausman Test for Long Panel:

hausman FEAR1 REAR1